RD-28030

AMENDMENTS TO THE CLAIMS:

This listing of claims will replace all prior versions and listings of claims in the application:

- 1. (currently amended) A method, comprising:
- (A) defining a first experimental space comprising factors of at least two mixtures with at least one common factor;
- (B) defining a second experimental space by deleting-duplicate-factor combinations from said first experimental space wherein said second experimental space is a ternary space comprising a number of experiments defined by determining a number of experiments for a succeeding experimental space by the relationship

$$V + \prod_{i=1}^{3} n_i \times I_3 + \left[\sum_{i=1}^{3} \frac{1}{n_i} \prod_{i=1}^{3} n_i \right] \times I_2 \qquad .$$

for a ternary system (T=3) or an algorithm for a succeeding T-nary system, determined from a previous term by:(a) adding an additional term which contains an additional summation, incremented over a next index from a starting point one unit higher than the first summation; (b) decrementing the subscript on I; and (c) adding a value of n, indexed by the next index, to the inverse term;

(C) deleting duplicate factor combinations from the first determined experimental space to define a succeeding experimental space with a number of experiments determined in (B); and

(C) (D) conducting a combinatorial high throughput screening (CHTS) experiment on said second succeeding experimental space, comprising an iteration of steps of simultaneously reacting a multiplicity of tagged reactants and identifying a multiplicity of tagged products of the reaction and evaluating said identified products

RD-28030

after completion of a single or repeated iteration. space to select a best case set of factors from said second experimental space.

- 2. (canceled)
- 3. (canceled)
- 4. (canceled)
- 5. (canceled)
- 6. (canceled)
- 7. (currently amended) The method of claim 1, wherein said second succeeding experimental space factors comprise reactants, catalysts and conditions and said (C) (D) comprises (a) reacting a reactant selected from the second succeeding experimental space under a set of catalysts or reaction conditions selected from the second succeeding experimental space and (b) evaluating a set of products of the reacting step and further comprising (D) (E) reiterating step (C) (D) wherein a next second succeeding experimental space selected for a step (a) is chosen as a result of an evaluating step (b) of a preceding iteration of step (C) (D).
- 8. (currently amended) The method of claim 7, comprising reiterating (C)
 (D) until a best set of factors of said second experimental space is selected.
- 9. The method of claim 1, wherein said first experimental space includes a catalyst system comprising combinations of Group IVB, Group VIB and Lanthanide Group metal complexes.
- 10. (currently amended) The method of claim 1, wherein said second succeeding experimental space includes a catalyst system comprising a Group VIII B metal.
- 11. (currently amended) The method of claim 1, wherein said second succeeding experimental space includes a catalyst system comprising palladium.

RD-28030

- 12. (currently amended) The method of claim 1, wherein said second succeeding space includes a catalyst system comprising a halide composition.
- 13. (currently amended) The method of claim 1, wherein said second succeeding experimental space includes an inorganic co-catalyst.
- 14. (currently amended) The method of claim 1, wherein said second succeeding experimental space includes a catalyst system that includes a combination of inorganic co-catalysts.
 - 15. (canceled)
 - 16. (canceled)
 - 17. (canceled)
- 18. (currently amended) A system for selecting a best case set of experiments of a experimental reaction, comprising;

a processor that (A) defines a first experimental space comprising factors of at least two mixtures with at least one common factor; and (B) defines a second experimental space by deleting duplicate factor combinations from said first experimental space and wherein said second experimental space is a ternary space-comprising a number of experiments defined by determines a number of experiments for a succeeding experimental space by the relationship

$$V + \prod_{i=1}^{3} n_{i} \times I_{3} + \left[\sum_{i=1}^{3} \frac{1}{n_{i}} \prod_{i=1}^{3} n_{i} \right] \times I_{2}$$

for a ternary system (T=3) or an algorithm for a succeeding T-nary system, determined from a previous term by:(a) adding an additional term which contains an additional summation, incremented over a next index from a starting point one unit higher than the first summation; (b) decrementing the subscript on I; and (c) adding a value of n, indexed by the next index, to the inverse term; and (C) deletes duplicate factor combinations from the first determined experimental space to define a succeeding experimental space with a

RD-28030

number of experiments determined in (B); and

a reactor and evaluator to select a best case set of factors from said <u>succeeding</u> experimental space by a combinatorial high throughput screening (CHTS) method to select a best case set of factors from said experimental space.

19. The system of claim 18, wherein said processor comprises

a display terminal having screen displays whereby a researcher can input values for factors on said screen;

a database for storing said factors;

a computer for generating a set of test cases for a set of said factors based on a researcher specified value for identifying a number of interacting relationships within said factors;

a computer combining said test cases for set of factors with said relationships and providing a merged table of test cases; and

an output for writing to a database said merged table of test cases.

20. (canceled)

21. (currently amended) The system of claim 18, wherein said second succeeding experimental space is a quaternary space comprising a number of experiments defined by

$$V + \prod_{i=1}^{4} n_{i} \times I_{4} + \left[\sum_{i=1}^{4} \frac{1}{n_{i}} \prod_{i=1}^{4} n_{i} \right] \times I_{3} + \left[\sum_{i=1}^{4} \sum_{j=i+1}^{4} \frac{1}{n_{i} n_{j}} \prod_{i=1}^{4} n_{i} \right] \times I_{2}$$

22. The system of claim 18, wherein said second succeeding experimental space is a pentanary space comprising a number of experiments defined by

$$V + \prod_{i=1}^{5} n_{i} \times I_{5} + \left[\sum_{i=1}^{5} \frac{1}{n_{i}} \prod_{i=1}^{5} n_{i} \right] \times I_{4} + \cdots$$

RD-28030

$$\left[\sum_{i=1}^{5}\sum_{j=i+1}^{5}\frac{1}{n_{i}n_{j}}\prod_{j=1}^{5}n_{i}\right]\times I_{3} + \left[\sum_{i=1}^{5}\sum_{j=i-1}^{5}\sum_{k=j+1}^{5}\frac{1}{n_{i}n_{j}n_{k}}\prod_{i=1}^{5}n_{i}\right]\times I_{2}\;.$$

23. An experimental space, comprising a number of mixture combinations defined by an algorithm, which expresses the sum of terms:

$$\mathbf{V} + \prod_{i=1}^{T} n_i \times \mathbf{I}_T + \left(\sum_{i=1}^{T} \frac{1}{n_i}\right) \times \left(\prod_{i=1}^{T} n_i\right) \times \left[\mathbf{I}_{(T-1)}\right]$$

for a ternary system (T = 3) or an algorithm for a succeeding T-nary system, determined from a previous term by:(a) adding an additional term which contains an additional summation, incremented over a next index from a starting point one unit higher than the first summation; (b) decrementing the subscript on I; and (c) adding a value of n, indexed by the next index, to the inverse term.

24. The experimental space of claim 23, comprising a number of mixture combinations defined by an algorithm, which expresses the sum of terms:

$$\mathbf{V} + \prod_{i=1}^{4} \mathbf{n}_{i} \times \mathbf{I}_{4} + \left[\sum_{i=1}^{4} \frac{1}{\mathbf{n}_{i}} \prod_{i=1}^{4} \mathbf{n}_{i} \right] \times \mathbf{I}_{3} + \left[\sum_{i=1}^{4} \sum_{j=i+1}^{4} \frac{1}{\mathbf{n}_{i} \mathbf{n}_{j}} \prod_{i=1}^{4} \mathbf{n}_{i} \right] \times \mathbf{I}_{2}$$

for a quaternary system.

25. The experimental space of claim 23, comprising a number of mixture combinations defined by an algorithm, which expresses the sum of terms:

$$V + \prod_{i=1}^{5} n_{i} \times I_{5} + \left[\sum_{i=1}^{3} \frac{1}{n_{i}} \prod_{i=1}^{5} n_{i} \right] \times I_{4} + \left[\sum_{i=1}^{3} \sum_{j=i+1}^{3} \frac{1}{n_{i}} \prod_{j=1}^{5} n_{i} \right] \times I_{3} + \left[\sum_{i=1}^{3} \sum_{j=i+1}^{5} \sum_{k=j+1}^{5} \frac{1}{n_{i}} \prod_{n_{j}} \prod_{k=1}^{5} n_{i} \right] \times I_{2}$$

for a pentanary system.